

Differential Portraiture Notebook

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The image shows the front cover of an antique book. The cover is bound in brown leather with a marbled paper pattern. The marbling consists of irregular, organic shapes in shades of yellow, green, and red, set against a dark brown background. A small, rectangular, light-colored paper label is affixed to the upper center of the cover. The label has a thin black border and contains handwritten text in cursive script. The text on the label reads "Differential" on the first line, "Portraiture June" on the second line, and "1900" on the third line. The book's spine is visible on the left edge, showing the traditional raised bands.

Differential
Portraiture June
1900

Theory

A disc I of white card that can be mounted on a revolving axis is divided into 11 spaces by 10 concentric circles, that is into a core and 10 rings.

The core is left white, one tenth that is an arc of 36° of the ~~next~~ first ring is painted black, two tenths or 72° of the second ring is painted black, three tenths of the third ring and so on up to the outermost ring which is all black.

On revolving the disc rapidly, ~~the disc presents to the eye an appearance of~~ the same appearance as that which would be afforded by ~~uniformly tinted~~ rings, each ring being of its own uniform tint. Each ring presents to the eye the ^{same} appearance as if it had been uniformly tinted ^{having} the same proportion of black to white as ^{an equal part of the} the ~~length~~ blackened portion of it bears to the white portion.

That is the core contains 0.00 percent of black, the first ring 0.10 percent & so on up to the outermost which contains 1.00 percent or which in other words, is wholly black.

An exact negative II of this is made by dividing the rings ^{on another disc} in corresponding proportions of black & white, but in an inverse order, the core being wholly black & the outermost ring wholly white.

We can compare the positive & negative tints on equal terms by a third disc III ^{of the same diameter} which is divided into halves by a diameter ^{the core half corresponding with the half ^{core and half} rings on the one side being}

blackened in the same proportions as those in I; namely in the arcs of $0^\circ, 18^\circ, 36^\circ, 162^\circ, 180^\circ$, and the other as in those in II, namely in the arcs of $180^\circ, 162^\circ, \dots, 36^\circ, 18^\circ, 0^\circ$.

On revolving III it will present the appearance of a disc that has been ^{painted} ~~tinted~~ with perfect uniformity, with a tint containing 0.50 of black & 0.50 of white.

Better take $0 = \text{white}$ $12 = \text{complete black}$
 (on account of the $1/2$ and $1/2$ of 12)

$$\left(\frac{2c}{2} + b\right) + \frac{a}{2} = b + b \quad \text{cannot exceed } b$$

^{miss} Electric light from 1 to 2 minutes response

$$\left(b + \frac{2c}{2}\right) + \frac{a}{2} = b$$

between a & b

In differential portrait, the aim is to obtain a tint $\frac{x}{2}$ which when combined with a tint $\frac{a}{2}$ shall form the desired tint b .

$$\frac{x}{2} + \frac{a}{2} = b \quad (I) \quad \text{or} \quad \frac{x}{2} = b - \frac{a}{2} \quad (II)$$

In order to obtain the value $-\frac{a}{2}$ ^{is obtained by means of} we have recourse to the equation obtained ^{by} from the consideration that a positive tint ^{in addition to its true} negative tint forms the perfect black; ^{which may be called} 1.00 and therefore when ^{the two combined} combined in a half a half proportion it forms the medium tint 0.50 ^{grey}.

Calling the positive $\frac{a}{2}$, and its true negative $\frac{\alpha}{2}$ we have

$$\frac{a}{2} + \frac{\alpha}{2} = 0.50 \quad \text{or} \quad \left(-\frac{\alpha}{2}\right) = \frac{a}{2} - 0.50 \quad (III)$$

Substituting in (I)

$$\frac{x}{2} = b + \frac{\alpha}{2} - 0.50$$

$$\text{or} \left(\frac{x}{2} + 0.50\right) = \left(b + \frac{\alpha}{2}\right) \quad (IV) \quad b + \frac{\alpha}{2} = \left(\frac{x}{2} + \text{grey}\right)$$

So we are ^{not} able to obtain $\frac{x}{2}$ ^{we then} pure & simple in this way, but we can obtain it mixed with an equal dose of grey.

The truth of I can be tested by putting it into the form

$$\left(\frac{x}{2} + 0.50\right) + \frac{a}{2} = b + 0.50 \quad (V)$$

whence $b + 0.50 = b + 0.50$; ^{which is} an identical equation, as it should be.

from IV $b + \frac{\alpha}{2} = \frac{x}{2} + \text{grey}$, and from I, $\left(\frac{x}{2} + \text{grey}\right) + \frac{a}{2} = b + \text{grey}$
 Similarly $a + \frac{\beta}{2} = \frac{y}{2} + \text{grey}$, and $\left(\frac{y}{2} + \text{grey}\right) + \frac{b}{2} = a + \text{grey}$

This ^{general} theory being ~~true generally~~ ^{generally true}, that $\frac{2c}{2} + 0.50$ is obtainable by giving two thirds of the total appropriate exposure to \hat{b} and the remaining one third to ~~the~~ ^{the positive} true negative \hat{a} , of \hat{a} ^{it follows} shows that an entire portrait however varied its tints may be admits of their treatment.

The revolving disc ^{would} enable us to test ~~the~~ ^{its} truth so far as concerned a band of varied tints, whence its applicability to a surface of varied tints follows of course. But is unnecessary to do so, as the figures are sufficient to prove it. Let $a_1, a_2, a_3, \alpha_1, \alpha_2, \alpha_3, b_1, b_2, b_3$

Let a_1, α_1, b_1 be the notation for the elements as above, in the first band; a_2, α_2, b_2 for those in the second, and a_3, α_3, b_3 for those in the third

then by IV we should get

$$b_1 + \frac{\alpha_1}{2} + \frac{a_1}{2} = b_1 + 0.50$$

$$b_2 + \frac{\alpha_2}{2} + \frac{a_2}{2} = b_2 + 0.50$$

$$b_3 + \frac{\alpha_3}{2} + \frac{a_3}{2} = b_3 + 0.50$$

So the portrait b is reproduced, with the addition of a uniform ^{transparent} grey ~~shadow~~ ^{being thrown} over it. However ^{as it were} ~~unwelcome~~ ^{unwelcome} this may be, it does not affect ^{showing} ~~injure~~ ^{injure} the differential effect characteristic features of a picture, each unit of surface in the reproduction differing from its neighbour as much as they did in the original.



theoretical
 lightness and darkness in the
 The limiting values of the tints a and b , that are mutually convertible by this method of composition depend on the fact that the extreme value of x is 12 or a perfect black ^{or 12} and on the corresponding value of y ^{being} 0 ; (or conversely, ^{then} x being 0 & y being 12)
 $\frac{x}{2} = 6$, therefore from I
 $b + \frac{a}{2} = b$

$\frac{y}{2} = 0$ therefore from II
 $0 + \frac{b}{2} = a$

When $b + \frac{b}{4} = b$; $a = b = 8$, and $a = 4$.

So both the ~~the~~ portraits must ~~be~~ ^{be painted} in sober tints, such as may be found within the medium third of the ~~range~~ ^{greatest possible range of pigments}

So, ~~unless both~~ the portraits must have been painted in sober tints, such as may be found within the medium third of widest possible range of pigments, the above method will not succeed.

But the darker ^{than these 8} practical limits are still narrower, on account of the addition of b . Thus 4 cannot be converted into $8 + b$ or 14 , nor can 13 or 14 be mixed with 0 to give a perfect black. But $b + b$ is feasible, ^{is} 5 & 13 , therefore 0 is the darkest tint tolerable in the portrait which must be drawn with ^{the tints} $0, 5, 4$ only, the remaining 9 units being unserviceable. 0 to 3 and 7 to 12 inclusive x

a	x	b	$b + \frac{x}{2}$	$b + \frac{x}{2} - b = \frac{x}{2}$	$\frac{a}{2}$	$\frac{x}{2} + \frac{a}{2} = b$
4	8					
5	7					
6	6					
7	5					
8	4					

Conversion of a sequence of tints ranging from 4 to 8 into one that ranges from 4 to 4.

a	x	$\frac{x}{2}$	b	$b + \frac{x}{2}$	$b + \frac{x}{2} - b = \frac{x}{2}$	$\frac{a}{2}$	$\frac{x}{2} + \frac{a}{2} = b$
4	8	4	8	12	6	2	8
5	7	3½	7	10½	4½	2½	7
6	6	3	6	9	3	3	6
7	5	2½	5	7½	1½	3½	5
8	4	2	4	6	0	4	4

$b = 8$
 $b = 7$
 $b = 6$
 $b = 5$
 $b = 4$

June 29/1900
 of the a & b shaded rings not good
 (1) (2)

(3) $b + \frac{x}{2} = \frac{2}{2} + \text{grey}$ (31)

June 30. Arranged electric light from exposure should be
 between 60 x 120 feet — used 90 sec afterwards

- (4) (4) Composed a & b rings & got a fairly uniform grey
 (5) 5 Composed $\frac{2c}{2} + \text{grey}$ with a on equal terms — very good result —
 composed $\frac{2c}{2} + \text{grey}$ with $\frac{a}{2}$ on equal terms

July 2
 with weak negative under electric light
 10' too little 30' a trifle much say use 20'

8	negative of compass white	No. 92	(marks)
9	"	118	
10	shaded		500
11	"		

} No. 50

The \cos laws $\frac{177}{2}$
is \cos $\frac{177}{2}$
177, $2 \cos \frac{177}{2}$
177, $2 \cos \frac{177}{2}$

transformer $\frac{3\pi}{2}$ $\frac{177}{2}$ $\frac{177}{2}$

$$\left(\cos \frac{177}{2} + \frac{3\pi}{2} \frac{177}{2} \right) + \cos \frac{177}{2} = \cos \frac{177}{2}$$

$$\text{or } \left(2 \cos \frac{177}{2} + \frac{3\pi}{2} \frac{177}{2} \right) + \cos \frac{177}{2} = \cos \frac{177}{2}$$

D.S.; location of this D.S.

July 2 / 1900

Enlargements to make composite from

N ^o 12	positive of ne	164	Bethlehem	8	glass slide down negatives neg. from unspalled like good slide dropped	1.6
1	_____	165		4		2.6
2	_____	176 H		5		3.6
3	_____	177		9		
4	_____	180		10		
5	_____	181		11		
		"		12		

(neg) composite of the above 6
 pos " " "

4.6
5.6

Copy 2 = $\frac{\text{neg. composite}}{2} + (177)$ (1) to convert positive into 177

76-106

Copy 4 = $\frac{\text{neg. of 177}}{2} + \text{composite (2)}$ makes 6

86-96

positive of N^o (1) above

126

(2)	11
to convert composite into 177	composite Negative - 1.6
" " " "	positive of this vis 2.6
" " " "	" " " " 3.6

y converts copy into the composite

July 5 / 1900

^{much} Some doubt whether the negatives were "or reversed" mirror negatives. So the following are all such. That is the positive is placed face downwards and on a thick card with a hole in order to raise its face to the same level as if it had been face uppermost.

Mirror negative of ~~165~~ 181 (spoiled C 5)
 Reverse C 4 5
~~167~~ 165 C 6
 Composite (C 7 spoiled) ~~C 8 bad~~
 1/4 minute exp. C 9 C 10
 177 C 11
 Composite bis C 12

($\frac{2}{3}$ of reversed neg of Composite + $\frac{1}{3}$ of ^{pos} 165) give negative of D 1

$\frac{1}{3}$ " " + $\frac{2}{3}$ pos of 177 D 2

Positive of D 2 D 3

Positive of D 1 D 1a

these were not so good not exposed enough. The negs being very dense

July 6

p. 10

~~The positive~~

y see 8b shown through with pos 177 ~~after~~ (back to face)

you a fair composite = 5b so I laid them on the

stage of the camera and photographed them negative D 5

A positive from the wet negative . D 6

	Positive	Ord. neg in camera	reversed neg	Contact Neg
164	12	8 1b		
165	1	7 2b		
176	2	6 3b		
177	3	9		
180	4	10		
181	5	11, 12		
Composite of the above	5b	4b		



Contact print will composite a negative of D A

177 D B

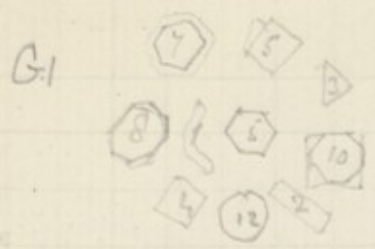
composite a much denser negative of DC
(compare with No 1) with printed mark on 5b

	neg	pos
F.1. Composite of 8.5 negatives α of positive of the same	$\frac{1}{2}$	$\frac{1}{2}$
F.2. negative	$\frac{1}{3}$	$\frac{2}{3}$
F.3.	$\frac{1}{4}$ 15 sec	$\frac{3}{4}$ 45 sec
F.4.	$\frac{1}{4}$ 9. sec	$\frac{3}{4}$ 36. sec

The above are wrong being printed from a contact negative, & the pos & the neg being both exposed to camera film side uppermost

	Total	negative film upper	positive film lowermost
F5	50	25 sec	25 sec
F6	45	15	30
F7	40	20	20
F8 bearded man	40	20	20
F9	40	20	20
F.10 $\left(\frac{a+a}{2} \text{ of } 165 \text{ with } \frac{b}{2} \text{ of } 177 \right)$ $= \frac{165 \times 165}{4} + \frac{177 \times 177}{4}$	40	20	20
F.11 $\left(\begin{matrix} a = \text{pos} \\ \alpha = \text{neg} \end{matrix} \right)$ 40	60	40	20

The process then converts



G3 position of G1

G4 position of G2

