

Observations of the Height, Direction and Rate of Motion of Clouds

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METEOROLOGICAL COUNCIL.

METHOD OF DETERMINING the DISTANCE and HEIGHT of CLOUDS and the DIRECTION and RATE of their MOTION parallel to the EARTH'S SURFACE.

There are three observers and three instruments on stands. One of these is a "Finder" (Fig. 1) having a pair of parallel sights, and mounted like a rude theodolite. The other two are angular instruments of the same pattern (Fig. 2), consisting of a tube laid horizontally in Y-shaped supports, and having a graduated circle with its attached arm and sights fixed flat against one of the projecting ends of the tube.

At the beginning of the measurement all three observers stand at the middle station where the Finder is mounted. Two of them look simultaneously through it, and direct it to various spots or interspaces in the cloud, conferring the while together until they have selected one that seems suitable. They then hurriedly separate, and hasten, the one to the right and the other to the left, to their respective stations, where their angular instruments have been so laid that the axes of their tubes lie in the same straight line. Each observer quickly rotates the tube of his instrument and turns the arm with the sights until he aligns them with the cloud-spot. He then continues to follow its motion, awaiting a signal to stop, which is given by a whistle from the third observer, who remains at the middle station. Thus the observations are made simultaneously at the two ends of a long base of the same cloud-spot, and the angles that are read off from the divided circles are the basal angles of a triangle whose base is the line separating the two stations, and whose apex is the cloud-spot. The distance of the latter from either of the stations can consequently be determined.

The third observer, immediately after his companions have left him to hurry to their respective stations, goes to the "Finder," which remains in position, and he re-adjusts it, if not to identically the same spot that had been selected, at all events to one closely adjacent, and he notes the time. He then reads off the altitude and azimuth of the spot. Again, after he has given the signal whistle he repeats the process. Thus he obtains the altitude and azimuth of the same cloud-spot at the beginning and at the end of a known interval of time, the latter of which is practically identical with the moment at which the observations to determine the distance of the cloud were made.

Thus all the necessary data are procured on the supposition either that the clouds are moving parallel to the earth's surface or that we are only concerned with that component of their actual motion which lies in a plane parallel to the earth's surface. We may also assume, without sensible error, that the distance of the cloud-spot and its altitude from the middle station is the same as from either of the outer stations. The calculations are therefore very simple. From the distance of the cloud-spot from either outer station and from its altitude observed at the middle station we obtain its height. From the double observation of altitude and azimuth from the middle station we calculate the direction of its drift in the interval, and from the same observation, combined with the knowledge of its distance and of the elapsed time, we calculate the rate of its motion.

The probable minimum efficiency of the method may be calculated on the following data:—

- (1.) Clouds frequently change their shapes so rapidly that a selected spot may cease to be recognisable after the lapse of half a minute.
- (2.) The definition of cloud-spots is so imperfect that the liability of error in determining the parallax of the base line may be taken as high as a quarter of a degree.
- (3.) The observers may not be reckoned upon as able to run for 25 seconds at a greater rate than 5½ miles per hour, without losing steadiness of hand.
- (4.) After arriving at their respective stations, not less than five seconds should be allowed to the observers to direct the sights of their instruments upon the cloud-spot.
- (5.) In order that the determination of distance may be of use, its error should not exceed one-tenth of the true value.

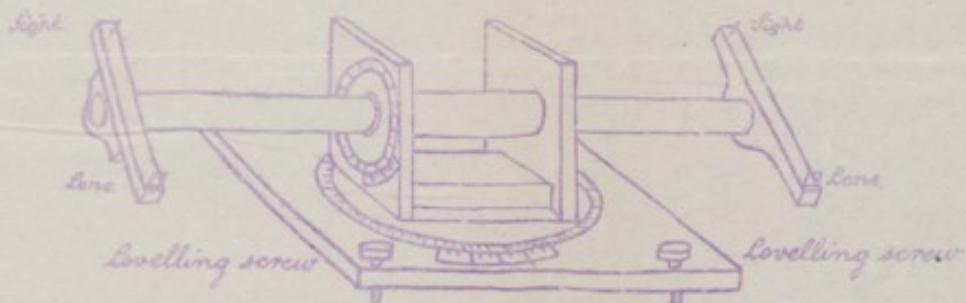
Putting these data together, it will be found that each observer will have time to run 200 feet or thereabouts from the middle station; consequently the length of the base line will be 400 feet. Also that the parallax of the base line must not be less than tenfold the quarter of a degree, that is, not less than $2^{\circ} 5$, consequently the distance of the cloud must not exceed 10,000 feet.

It follows that even under somewhat over-rigorous suppositions, ordinary clouds ought to be measured very efficiently. When the durability of form is greater than has been supposed above, and notably in the case of cirrus, a minute or more might be allowed to each observer for getting to his station. It is also feasible in many cases to use a more rapid and easy means of locomotion than by foot. Tricycles, for example, might be used. It is therefore probable that if this method were developed to its fullest extent, an efficiency at least four times as great as has been estimated above could in most cases be obtained, and in all cases it could be nearly doubled.

*Francis Galton
April 1/83*

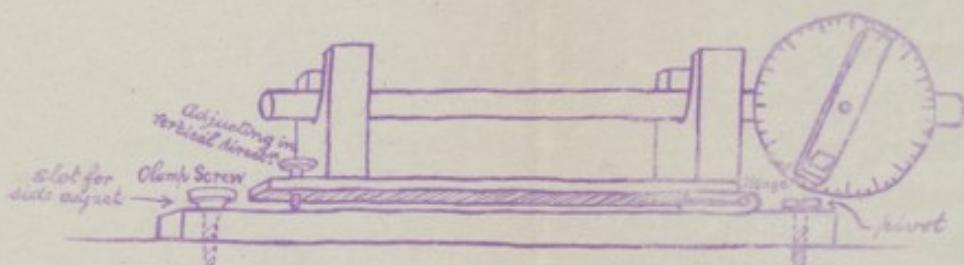


Fig. 1



Adjustments: The two sights should point to the same distant object.
 Plane of azimuth circle to be roughly levelled.
 (It might be well to provide facilities for a third pair of sights)

Fig. 2

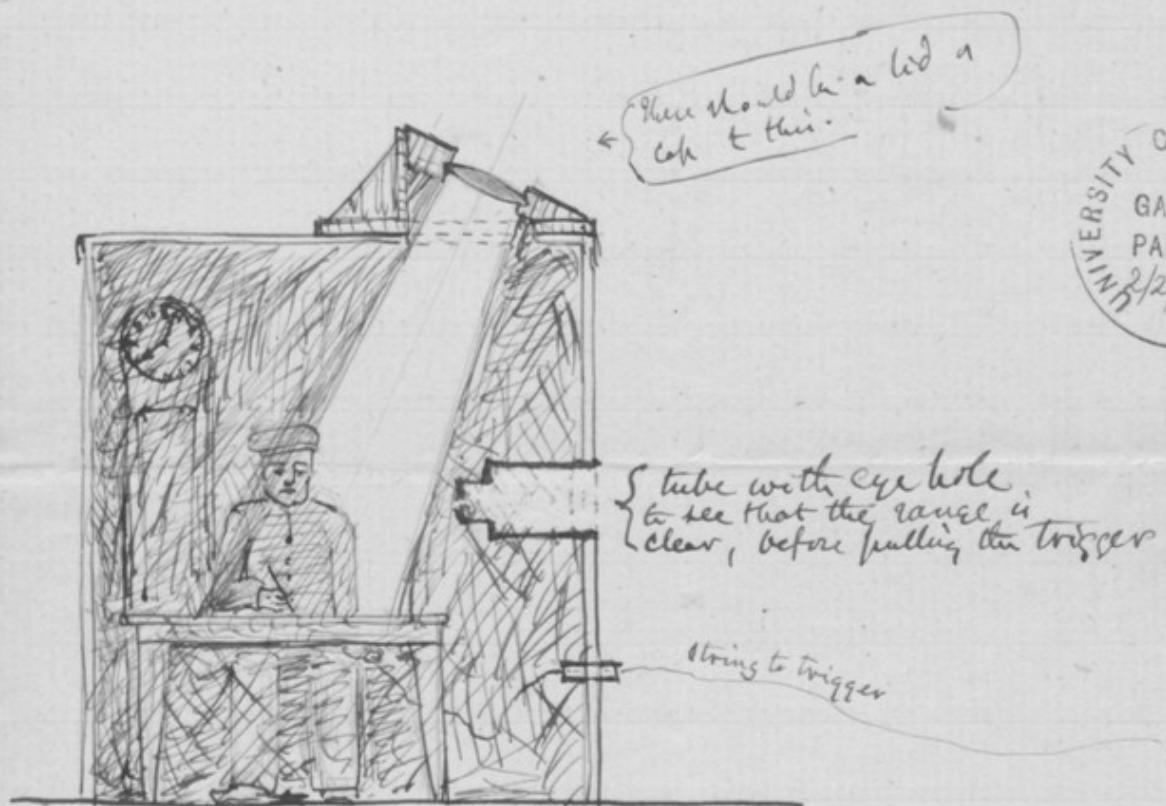


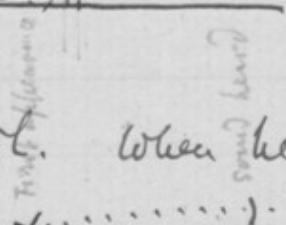
Adjustments: Axis of tube to be pointed to the corresponding instrument at the other station.

Reading should be 0° when the sights are directed to the other station - apply difference as index error.

Camera obscura to smoke-cloud.

To enable one man to fire gun & make all the necessary observations. (Hallen about 11/84)
See description & plate page



a point with the pencil. When he hears the burst, he makes a short cross line  and disregards the next tick if it comes too closely after the burst. So he goes on until the cloud disappears or leaves the limits of the paper. The track on the paper will be the horizontal projection of the path of the cloud in the plane of the horizon. Knowing the focal length of the lens ~~the angle of the eye can be calculated~~, the scale of the projection can be calculated.

f. 2r



(which need not be achromatic)

A lens of 5 or 6 feet focus, is set in the roof of an otherwise dark hut. Its optical axis points to ^{the part of the} ~~place in~~ sky where the shell is expected to burst & consequently makes an angle of 67° with the horizon. The image of that part of the sky is thrown on a sheet of white paper on a horizontal slate [I find by experiment that the distortion is considerable under these circumstances] The paper is held in place by a hinged frame shut down upon it, which in the act of throwing tricks holes at the cardinal points with the compass shank (true bearing) marked on it, so that at the N pier double. ^{These are made with an eye hole in the wall of the hut to see that the road is clear.} A clock is in the hut, that ticks second hand, and a string passes through wall of hut to trigger of gun.

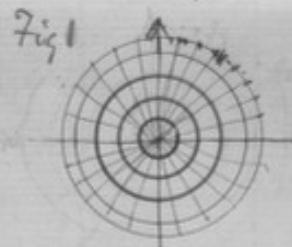
When the gun is loaded & pointed, always in the same direction, the observer goes into the tent and watches the image of the sky, as soon as that part of it where the shell is expected to burst, is clear, ^{to see that the road is clear} he pulls the ^{trigger} ^{When the puff shows itself} he marks the place on the ^{paper} ~~paper is placed~~ with a cross. At each tick of the clock, not counting the one immediately after the puff is seen, he makes

(and dependant rate of movement)

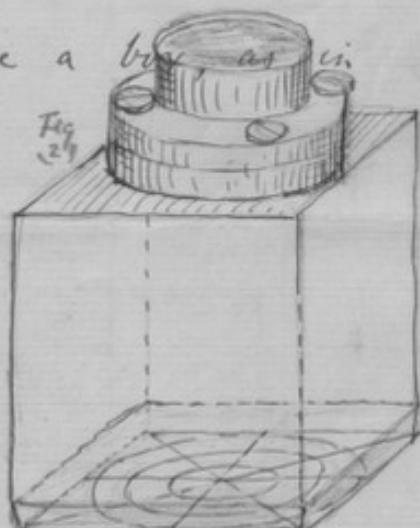
Camera, to use in measuring the height of clouds

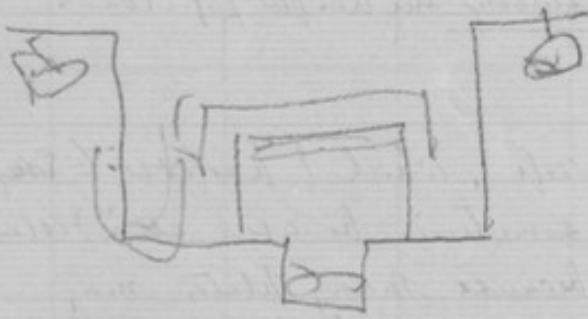
It is adapted to the dry process, which I propose to employ because the cameras will sometimes be used at a distance from the observatory and because many plates may ~~would~~ be wasted, the consecutive preparation of which by the wet process would be inconvenient & would require assistance.

I propose that at ~~the time of taking~~ each picture is taken, a scale of altitudes and azimuths shall be simultaneously photographed upon it, together with any other data such as the number of the camera, the place, &c. as may be desired. The scale will consist of fine lines, radiating from a centre ^{carefully chosen} that accurately corresponds to the zenith point of the picture, and of a series of fine concentric circles round that centre, whose value in degrees of altitude shall have been determined. One of the radial lines is marked with an arrow head and will show the direction of the meridian.



To produce this effect suppose a box as in fig 2, to have a flat bottom of thick plate glass, on the lower surface of which the scale fig 1 is engraved, and to having a photographic lens set in the top. The engraved scale is to be adjusted ~~once for all to~~ ^{so as to} be at the Solar focus of the lens. Let us now suppose that we have already been able so to adjust the verticality of the apparatus that the





the image of the zenith shall fall on the centre of the engraved scale, and that the north and south ^{radial} line of the scale shall be correctly placed, (I will shortly explain how this may be effected) Then, if we clap in succession any number of sensitised plates, with their collodionised surfaces upwards, against the engraved glass bottom, the required scale will be photographed on each of them, simultaneously with the clouds.

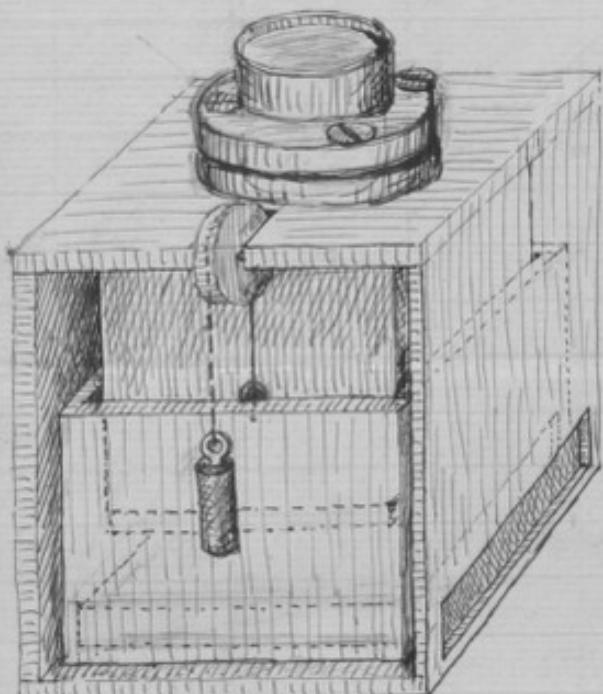


Fig 3

Fig. 3, shew the arrangement for introducing a sensitised plate & lifting it up to touch the engraved glass scale. The "camera", by which word mean that part of the apparatus only, which was shewn in Fig. 2., is secured within a box much larger than itself, ~~leaving~~ ^{leaving} a vacant space round it both at the sides and below. One of the sides of the box has been

removed in Fig. 3, in order to show the internal arrangement. It will be observed that a deep tray or lift surrounds the bottom of the "camera" & that it is supported by counterpoises, attached to cords passing over pulleys. These counterpoises lift the tray & press whatever is inside it against the glass bottom of the camera. When the counterpoises are raised by the hand, the lift descends to the bottom of the box by its own weight, ~~at~~ ^{& that} portion an aperture in its side for inserting the

plate-holder lies opposite to a similar aperture in the outer box. All that the operator has now to do, is to raise the counterpoise with his hand and to hold ~~it~~^{only through} to the side of the box. Then he inserts the plate-holder through the side aperture, & withdraws the cover of it. ~~then~~ ^{he} sets free the counterpoise ^{upon} which the lift rises and applies the sensitised plate flat against the engraved glass. The force that urges it ^{upwards} is the excess of weight of the counterpoise over that of the lift and it can be regulated to a variety, so that there ~~need not~~ be the least fear of injuring the very tough film on the sensitised plate.

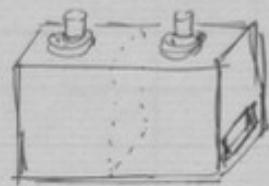
In regards adjustment:- After levelling the top of the box ^{still keeping the} theodolite telescope in a vertical position looking down upon the lens, screw the adjusting screws in the collar of the box, (seen in Figs 2 & 3,) until the central point of the engraved scale viewed through the lens is intersected by the cross wires of the theodolite. Then whenever the ~~surface of~~ top of the box is level the adjustment for ^{verticality} will be secured

To adjust for azimuth:- Set the theodolite, so that its vertical circle ~~shall~~ in the plane of the meridian and in such a position that when its telescope looks vertically downwards it shall look ~~into~~ the lens of the camera. The observer will then view the engraved scale as if it were a distant object. Now turn the box until the meridian line in the engraved plate ~~is~~ is parallel to the vertical wires of the theodolite.

To adjust for verticality:-

To obtain a scale for the circle of altitude (add Prof. Stokes' method)

I have thus far described a camera suited for taking a single view on the same plate but considering that we shall always want two views ^{with} a brief interval between them, in order to obtain the direction & rate of movement of the clouds, I should recommend a double camera & the use of plates of the size of the ordinary stereoscopic plate.



Francis Galton

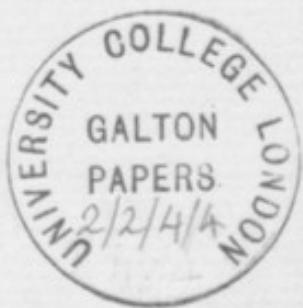
42 Rutland Gate
Oct 5 1877

10 July 1881

f. 1r

University Museum.

Oxford



Dear Galton,

I return Captain Hobl's letter, which is very interesting. I hope that you and he may be able to devise some arrangement which would come within our means.

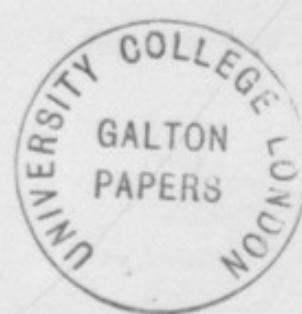
I have now had

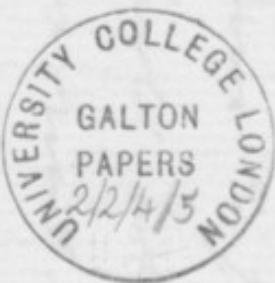
of the Japanese "day
fire works". I should
not be surprised if the
luminosity is due to
vortex-motion, which manages
to disquin its ring form
wonderfully well.

ever very truly yours

Henry J Smith

f. 2





Lesmond Dene House,
Newcastle on Tyne.

2 July 1881

Dear Mr. Sutton

I have your note of
the 1st inst. & do not think
there would be any difficulty
in giving what you desire.
but I fear that the expense might
perhaps be a good deal more
than you anticipated.

I have not attempted to
calculate the height to which
a projectile would rise, as
we have no data available for
such a purpose - but I do not
suppose you are very much
out in your guess that we
would make no gun sufficiently
high.

f. 44

The other questions connected with your
proposition if you do not think the
wts & hours named prohibitory.

Very sincerely yours.

H. Hobson

H. Fulton Esq. T. O. S.

RECEIVED AND FILED
APRIL 20 1870
CLERK'S OFFICE, U. S. DISTRICT COURT.

most economical, but I doubt if we could
find a cloud of smoke sufficiently large &
durable for your purpose in less than much
than a 400' & a 6" fan would be better?

To give you a rough idea as to cost.

I venture to say that the cost of the fan &
its mode of mounting would not be taken
at less than from £400 to £500. & as you
have to provide means for raising the
mill at its maximum elevation you
can not estimate the cost of each inclini-
onal road at less than £1.

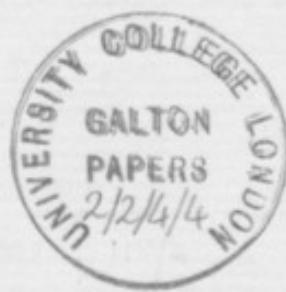
I shall be very happy to look into

in giving to a projectile a vertical
Elevation of about 2 miles -

(The difficulties in the way
of an approximate calculation
are (1) The variation in the law
of resistance of the air with respect
to the velocity (2) The variation
in the density of the air with
reference to the height from the
Earth's surface)

The mode of mounting the
gun would have to be special &
we argue that the gun
would be fired at an angle
of 75° Elevation which would
probably be the most conve-
nient angle - Special modes
of absorbing the recoil would
have to be considered, but
this would offer no great
difficulty.

The smallest gun that
would be used for the purpose
would of course be the
most



Desmond Dene House,
Newcastle on Tyne.

23 July 1881.

My dear Mr. Sutton

I have your letter
of yesterday's date & shall
be very glad to carry out
the experiments you de-
sire.

I think it may well
very well for you to come
down here to see some
of the Expts. from the
Brit. Assoc. meeting, &
perhaps it would be
best to make the Experi-
ments over there.

J.

Follows him & the "ring"
would help us much -
we never do produce as
clean & clearable a mess of
birds as we can & when
the sky is a dull grey, it
will be difficult to see
at a great height.

Very sincerely yours

W. W. Woodley

A. Fulton Sept 7. 1881.

2. 2. 2.



LONDON OFFICE, 8, GREAT GEORGE STREET, WESTMINSTER S.W.

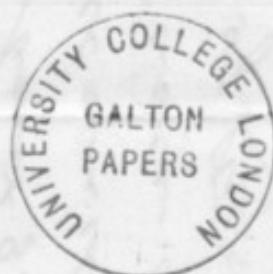


TELEGRAPHIC ADDRESS

"ELSWICK, NEWCASTLE"

10,058
ORDNANCE
DEPARTMENT.

Elswick Works.
Newcastle upon Tyne.

7 Jan³ 1882

Dear Fulton

I have your letter of the 2^d inst. & having some further points to determine I had another trial made on Thursday last.

In the first trial, for reasons with which I need not trouble you, the attempt to determine the height of the burst by the measurement of 2 angles failed, & with a small fee, there will always be considerable difficulty with this

The time taken by the round to return was missed on the 1st occasion but was 9.7 sec. & 8.8 sec. on the other two occasions. The shell had not reached its culminating point - The angle above the horizon of the burst on all 3 occasions was as near as possible 62° .

assuming the velocity of round at 1090 f.s. the above data give the height of burst at about 9450 ft.

You will understand that if you fire at an invariable angle of elevation the approximate height of the burst will in all cases when once certain constants are determined, follow a simple observation of the time of flight.

The day was very stormy though bright

method - It then occurred to me,
as the velocity of round is practically
independent of the charge
that perhaps the best way to
determine the height of the
burst was to take the time
the round took to come back
& at the same time to take
the angle of elevation from
the gun.

On this second day we fired
8 rounds but passing over some
which were much to satisfy
me as to the ~~actual~~ description
of time from to be employed
I will come to the more important
rounds.

The gun was fired at an
angle of 75° elev; it would
not be safe to fire at a higher
angle from the damage of some
of the pieces of the shell returning
in the operators.

The time from the firing of
the gun to the bursting of
the shell was respectively.
13.4 sec., 13.4 sec. & 13.6 sec.

⁶
+ the cloud of smoke can be seen without
difficulty for a considerable time.

I shall be in London on Tuesday &
Wednesday & shall be glad to see you
to answer any questions or arrange
further meetings. Believe me
very sincerely.

W. W. Moore

A. Fulton Esq - A. S. T.

8. - 2. - 2. -



LONDON OFFICE, 8, GREAT GEORGE STREET, WESTMINSTER, S.W.

f.7



Elswick Works.

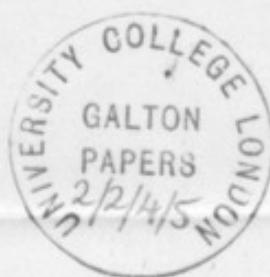
Newcastle upon Tyne.

TELEGRAPHIC ADDRESS

"ELSWICK, NEWCASTLE"

1 Feb. 1882.

ORDNANCE
DEPARTMENT.



my dear fulton

You shall have the
report tomorrow. I would
prefer to despatch it to you &
shall do so, but shall send
it to the care of the M.- Inter-
national Council -

I have been very unwell
recently.

Yours truly
W. M. W. M. Noble

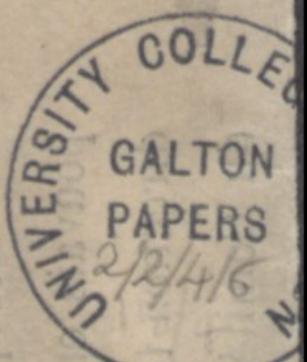
F. Fulton Esq. F.R.S.

42 Rutland Gate
London

f. 1

Camera for measuring
height of clouds

Letter on it from Stokes
54-99



Remember the plans for a
Cloud photographing Camera produced by
Mr. Fulton.

1. Assuming that it will not be requisite to
wash with wet plates, I suppose of the principle
of taking the fiducial marks a picture relative
to the object. This may be done as proposed by Mr.
Fulton since a dry plate may touch another plate.
2. As to the number of fiducial marks, I can only state
the measurement of the developed plate under a
suitable instrument. In this case the fewer marks
the better, so as to leave the image of a cloud
as nearly undisturbed by anything extraneous
to without the observer's attention as possible.
In this case it would be well to have no marks
beyond a single cross + probably this would
be rather the more accurate; but suggestion
of my estimation by means of a slide is not of
marks would be more rapid. Rapidity is
an important point in observations which

have to be taken steadily, but does not signify much
in time which have to be taken a few times to elicit
a fact once for all. This latter is what I had con-
templated, but I think it likely that the plan may
prove useful for habitual employment, and
therefore rapidity will be an object.

3. Night not a spinal spring to hand in
from a night?
4. Adjustment for zenith.

In the arrangement proposed by Mr.
Fulton, if I rightly understand it the top of the
bar is to be cracked [this implies a permanent
irreversible fixed to the bar, or else, which
would be less convenient, the use of a detached
steel, and implies also that the bar rests on
two bearing screws] and the adjustment is
to be effected by giving a lateral motion to the
spine-slop by means of adjusting-screws.
This lateral motion is given once for
all, and is future in order to make the

14
③

Instrument point to the zenith it is sufficient
to level the top.

I don't like the lateral adjustment
of the objective-screws, on the ground that the
object-lens may be affected much more
simply by purposing the bubble level
with adjusting-screws. When the theodolite
points to the horizon, the centre of the bubble is
brought to the cross-wires by means of the
levelling-screws on which the bar stands,
and then the level is adjusted by its screws for
the bubble to stand in the middle. There-
after to adjust for altitude (i.e. make the
camera point to the zenith) we have
merely to bring the bubble to the centre by
means of the levelling-screws.

5 Adjustment for azimuth.

If this be done ^{ab initio}, every time the inst.
is used, instead of adjusting once for all

the graduation of a magnetic needle,
and hence partly indefinitely nearer of
the needle, it pretty well restricts the use of
the instrument to a fixed astronomical or geo-
dynamical, and requires a Thudalite for
each camera - rather a costly addition.
I think adjustment by a needle would be
quite as accurate as the other parts of the
instruments demand; and the cost of a needle
with an adjustable mount to let a sparite to it
would be a trifling compound with the cost of
a Thudalite.

I doubt if the theoretical superiority
of making the adjustment each time by means of
a Thudalite would justify the increase of
cost. It is something to require the leaving
a Thudalite for an adjustment to be made
once for all: it is another to demand that each
camera shall have a Thudalite married to
it.

f. 6
5

6 Double Camera?

For accuracy's sake it is well to allow time for a few substantial changes of angular position in a cloud. We should want I think a second slide, but I would look to the use of a double camera unless otherwise should show that it were desirable.

As to dimensions of time of exposure, it would be very to agree beforehand that in the first experiment each of the two cameras should be say for 3^o, with regard for say 10^o, or whatever exposure might have to be the proper thing for these objects. A double camera would make therefore be demanded for this purpose.

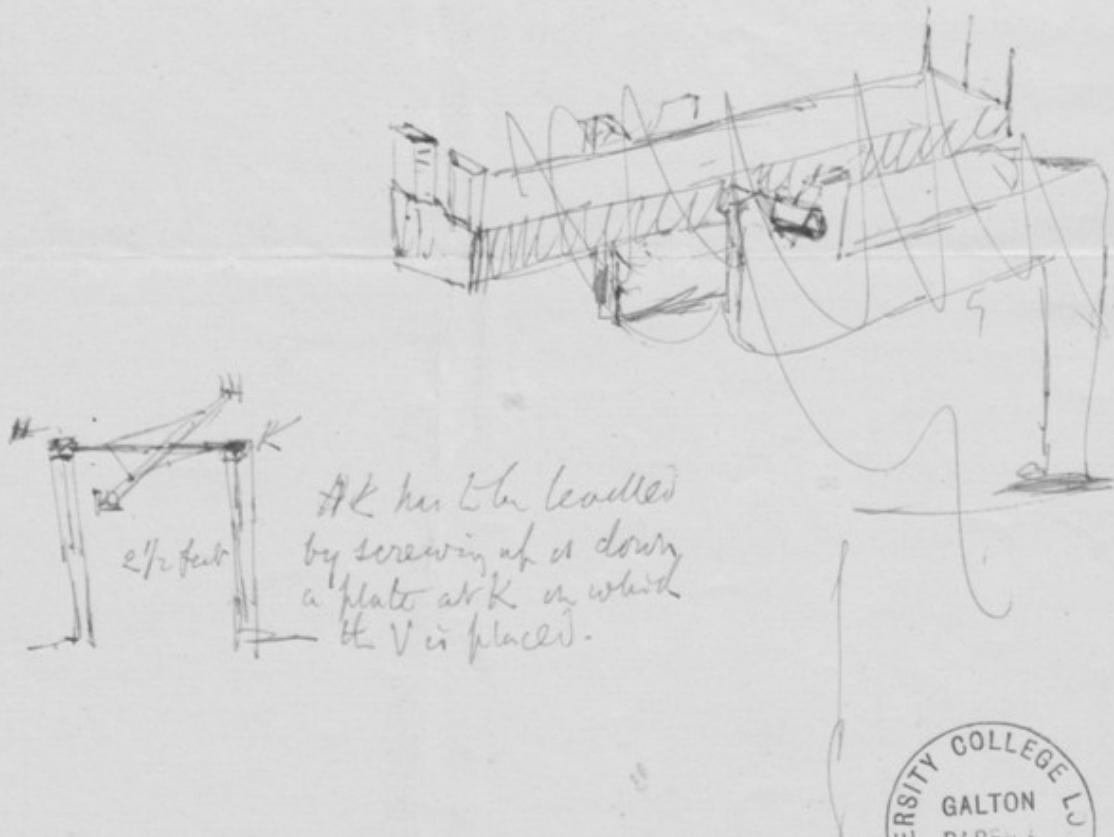
J. G. Stokes

Cambridge Oct 28, 1877.

F. 1v

It is ~~possible~~
It is ~~possible~~ ^{probable} that it would be found most convenient
to build ^{several} brick pillars at various distances apart
~~carefully ascertained~~ & to mount the ^{theodolite} on
the two that seemed the most ^{of end peculiarity} suitable, the angle
between the drift of the wind & the pillars being
recorded. Provisionally the trials would be made
with theodolites on levels at measured distances.

Fg.



Height of Clouds (Waterloo) March 28/83

p. 15

The flagstaff, chimney, &c need not have a real existence. It may be replaced by optically supplied by means of a vertical wire in each of two collimators (bracket instruments theodolites &c) placed at A & B respectively, & so converging that the vertical line would occupy the position where the flagstaff would have been.

The simplest & probably the most convenient arrangement would be like a light gun barrel with sights freely moveable on trunnions in a vertical plane with a roughly divided circle reading to degrees or two degrees.

The base AB should subtend at least $30'$ from the cloud that is AM should equal $120AB$ (in the cubical). - Take it = $100AB$

that is this allows error. If the parallel is too large, error arises from the changing outline of the cloud. If too small, serious error arises from the want of definition of the cloud causing the uncertainty in the time of contact then becomes a considerable fraction of the time of transit.

AC might be taken at about $\frac{1}{10} AB$ then even if the motion of the cloud were at the rate of 60 miles per hour the observer could run from A to B or vice versa in time for the observer.

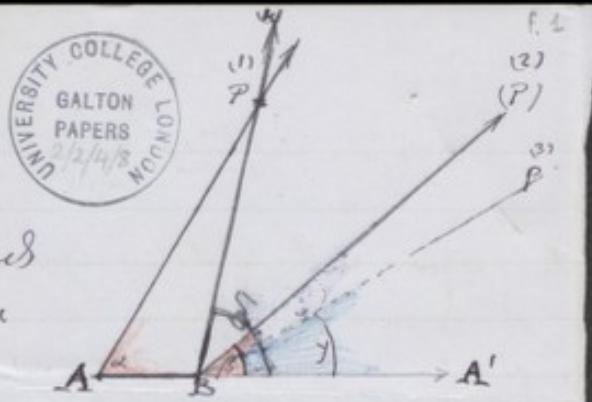
There should be not one only but 2, 3 or more sights to enable the angular velocity to be determined at A & B and to give alternative values for AC according to circumstance.

Tin

Dear Professor - This seems reasonable?
H.

Distance of Cloud

The Observer, with watch & sextant, stands at A on a level plain, over which the clouds drift parallel to AA'



(1) At A, he takes the altitude of some recognisable point P in the cloud; that is the $\angle PAA'$, call it α , & he notes the time t ^(in seconds).

(2) He ^(is moving, be) walks ^(towards) towards A', counting his paces, until he has arrived at some convenient ^{known} distance, say at B, where he again takes the altitude of P & notes the time by watch. Call the altitude β , and the time elapsed since obs(1), t ^(seconds).

(3) Standing at B, after a further lapse of time, S ^(seconds), he again takes altitude of P, call it γ . From these data, he calculates what the altitude of P would have been at B, if observed at the same time as (1). Call this revised altitude δ . He thus puts himself in the condition of having observed (1) & (2) simultaneously, & calculates AP from the data of base AB & the angles at either end of it, viz α & δ .

The method will fail, if the clouds did not move horizontally or uniformly, or if they changed their shape so rapidly that a base AB of adequate length was impracticable. Also, if they moved much faster than the observer, there would be with of error in more than one way. ~~Provided~~ In these cases, repeated observations would yield different results, & whenever they ^{always} concurred they could be trusted.

Of course (3) need not be made by observing the same point P; any other point in the same plane of cloud off which the altitudes were determined at beginning & end of observation, would give the required data.

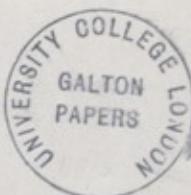
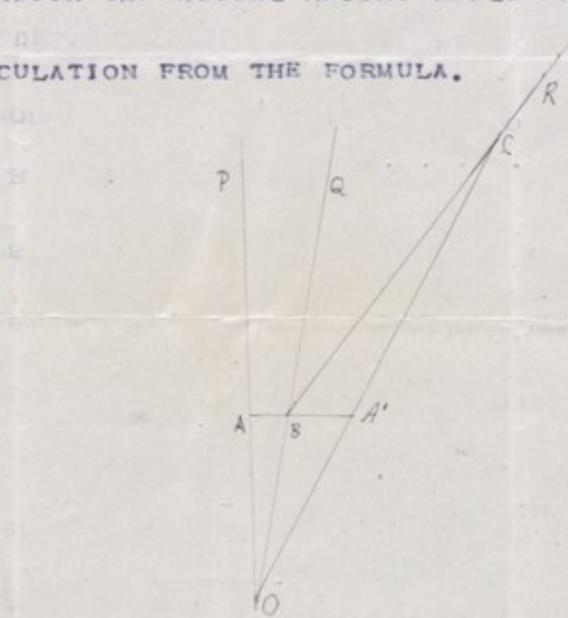
J. Galton
42 Rutland Gate March 29/83

LENSFIELD COTTAGE, CAMBRIDGE, 21 MARCH, 1888.

DEAR MR. GALTON,

I RETURN YOU YOUR PROPOSAL ABOUT THE HEIGHT OF THE CLOUDS.
IT SEEKS TO ME TO BE QUITE A WORKABLE THING. ITS ACCURACY
WILL DEPEND MAINLY ON WHAT LENGTH OF BASE, AB, YOU CAN AFFORD
TO ALLOW WITHOUT CONSUMING SO MUCH TIME THAT THE CLOUD SHOULD
CEASE TO BE IDENTIFIABLE IN THE THREE OBSERVATIONS.

THE METHOD LEADS TO A SIMPLE GEOMETRICAL CONSTRUCTION, WHICH
MIGHT BE USEFUL FOR INDICATING TO THE EYE THE CONDITIONS OF
ACCURACY, ~~THOUGHT~~ THOUGH THE ACTUAL HEIGHT WOULD NATURALLY BE
GOT RATHER BY CALCULATION FROM THE FORMULA.



LET AP, BQ, BR BE THE LINES OF SIGHT., PRODUCE AB TO A',
TAKING $\frac{BA'}{AB} = \frac{t_1}{t_2}$, t_1, t_2 being the intervals of time
SO THAT A' IS WHERE THE OBSERVER WOULD
HAVE BEEN AT THE THIRD OBSERVATION IF HE HAD WALKED STRAIGHT
ON AT THE SAME RATE. PRODUCE PA, QB TO MEET IN O, AND JOIN

OA', PRODUCING IT TO CUT BR IN C; THEN C IS THE PLACE OF THE CLOUD AT THE THIRD OBSERVATION.

THE FORMULA IS

$$h = \frac{\frac{1}{2}a}{\frac{1}{2}(\cot y - \cot \beta) - \frac{1}{2}(\cot \beta - \cot \alpha)}$$

OF COURSE THE DENOMINATOR IS THE TICLISH SMALL QUANTITY WHICH IS LIABLE TO BE VITIATED BY ERRORS IN THE ANGLES ARISING FROM THE VAGUENESS AND CHANGEABILITY OF THE OBJECT. THE TIMES WE MAY DEEM TO BE KNOWN EXACTLY. IF THE FIRST OBSERVATION WERE MADE BEFORE THE CLOUD GOT TO THE ZENITH, THAT WOULD PERMIT OF TAKING A LONGER BASE AB.

YOURS SINCERELY,

FRAS. GALTON ESQ. F.R.S.

P.S. BY TAKING TWO OBSERVATIONS OF ALTITUDE BEFORE THE CLOUD CAME TO THE ZENITH, THEN WALKING, THEN TAKING TWO MORE, NOTING OF COURSE THE FOUR TIMES OF OBSERVATION, WE SHOULD HAVE A CHECK. THIS WOULD GIVE FOUR - EQUIVALENT HOWEVER TO ONLY TWO DISTINCT - DETERMINATIONS.

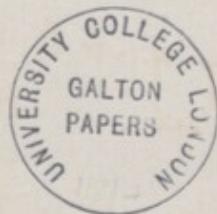
f.3

5) A good sight may be taken of the shot in the cloud
by one of the angular instruments in 5 seconds

Putting these data together, each observer has 25 seconds to get to his station during which he moves at $5\frac{1}{2}$ miles per hour. That is, ^{is say} the stations ^{may be} severally about $(25 \times 4.5 \times 1.5)$ or 200 feet distant from the central station and 400 feet from one another.

Again, as the error of the result must not exceed one tenth of the true value, the parallax of the ball must be at least $10 \times \frac{1}{4}$ of a degree = $2\frac{1}{2}$ degrees. Now 400 feet subtends that angle at a distance of about 25×400 = 10,000 feet.

It is obvious therefore that this method ~~is impracticable~~ may be adopted for the measurement of ~~less~~ clouds under almost any circumstances when they are ~~near~~ ^{not far from} ~~the earth~~ ^{are not very high if they} exhibit any recognisable points at all. When the clouds are more durable in shape & when the observer can use a tricycle or other rapid means of locomotion, the ball might be increased at least four fold and clouds at a distance of 40,000 feet might be ~~well~~ determined as accurately as those of 10,000 feet under the former supposition.



F. 4v

Method of determining the distance ^{and height} of clouds, their height and the direction & rate of their motion.

I suppose three observers ~~&~~ ^{at} three stations in a line, A C B, C being the central one. At C ~~is placed~~ ^{is} an instrument ^{fig 1} that I call a "Finder" which is in principle a rude theodolite with two parallel ~~and telescope~~ but fixed of sights. At A & B there are two very simple angular instruments ^{fig 2} all three observers stand at first at C where two of them look simultaneously through the finder, conferring and turning it about until they have fixed upon some spot of cloud or of blue ^{interspace}, as suitable for triangulation. They then hasten to their posts, the one to the left, & A the other to the right, to ^{when they exactly} adjust their instruments upon the ^{shot} ^{any} cloud following its motion, until ^{they are superimposed} it is called a shot ~~is~~ ^{is} signalled by a whistle from the third observer at C. The third observer occupies himself in taking ready off an observation of altitude and azimuth of the same or of an adjacent part of the clouds while the other two are hastening to their posts, & after giving the signal whistle, he repeats the process. Thus all the necessary data are obtained.

- ^{I assume that,}
- (1) Clouds change their shape so rapidly, that a spot in them may cease to be recognizable after 30 seconds, though sometimes, especially in clear, the ^{shape} ~~are~~ are much more permanent.
 2. The maximum error of determination of may be set down as ± 1 of a degree in determining the parallax of the base as seen from the cloud.
 3. The accuracy of determination of distance of the cloud would be ~~as~~ ^{the true} ^{amount} accurate if the error did not exceed one tenth of the amount.
 4. The observers may run without distress to their stations, at the rate of $5\frac{1}{2}$ miles per hour ^{during these 25 seconds,}

I propose to use ³ three instruments, one of which is a Finder ^{Fig 1}
placed at a middle station through which two observers look
simultaneously along parallel sight lines and whilst they move about
whilst they confer until they have selected a recognisable -

They then separate & hasten one end to another to their respective stations where their respective angular ^{Fig 2} ~~distances~~
are placed and whence they take their observations ^{of the angle between the cloud & the other observer}, & guided by
& signal whistles from the 3rd. who remains at the middle station.

The third observer has the task the duties of making & ready off an observation
of the same or an adjacent cloud & whilst the observers are hastening to their stations
to release the operator after giving his final whistle. He uses the Finder for
the purpose which is roughly mounted on the principle of a theodolite as shown in the sketch

The angular instruments ^{Fig 3} are tubes to act as telescopes or plain furnished with
sights which are pointed at one another so as to lie in the same line. Each tube ^{is} supported
rotates round its axis and bears a graduated circle set flat against ^{one of} its free ends, which
projects beyond the support. An arm fitted with sights and a scale is fitted to the graduated
circle.

The instruments are not supposed to be of refined make but to read off to $10'$ only, allowing
to be estimated. They are furnished with sights not telescopes & the former sight to work in
the simplest form of collimator.

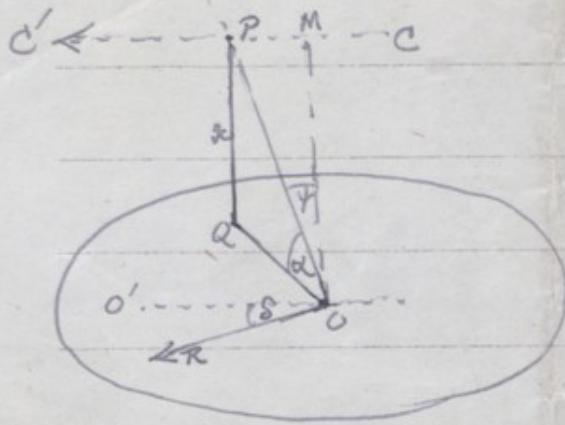
For sights I use ~~the~~ a collimator of the simplest kind myself
a lens of some kind focus where upper edge ^{as you will} is free &
it is most easy to take ^{directly} ~~any~~ an instrument ^{especially if both eyes} ~~any~~
~~are used~~, ~~we~~ kept open & then it is to take aim with a gun furnished
with ordinary sights.

Each of these consists of a tube revolving in supports, having a
graduated circle with an arm carrying sights fixed flat against
one end of it and an arm carrying sights moving round the graduated
circle. The tubes serve as telescopes, & the instruments are
thereby adjusted ^{so} that these tubes lie in the same line. Consequently
the angle when the sights ^{are directed simultaneously to the same object} ~~are directed simultaneously to the same object~~
~~they~~ ^{will be} ~~the~~ ^{were} ~~the~~ ^a angles of the triangle of which the distance between
the stations is the base & that between the stations & the object ^{the distance} ~~is~~ ^{the distance} ~~the~~ ^{the} sides.

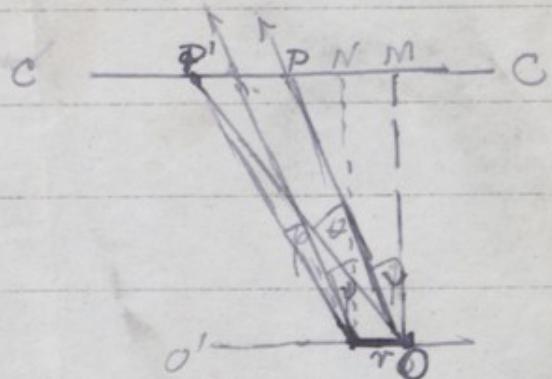


2 mom

1.5



(1)



(2)

Fig (1)

O. the point where the observer commence.

The area enclosed by ellipse Fig 1 is the plane of the horizon seen.
P is a point of cloud seen traversing the moon in direction CC'
draw O O' parallel to CC', and OM \perp CC'. $\angle MOP = \psi$
 $\angle ON$ is the direction in which the train was making L.D
with O O'. $\angle MOP + \text{area} = \psi$
Altitude of moon above horizon = \angle

Fig (2)

is drawn in plane of O C C'

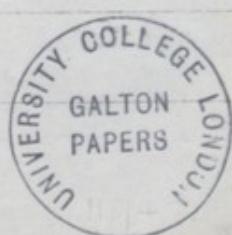
Given. In a brief period of time t , ^{the train travels a distance R and it stops to wait a distance PP'} that train portion of the train motion that is resolved along $OO'' = r$. $\{ = R \cdot \tan \delta \}$
the ang. motion of P ^{past time t} observed at O = θ - to observe in train who has arrives during the same time = ϕ

$$PM = PN + NM, \text{ or } OM \tan(\theta + \phi) = OM \tan(\phi + \psi) + r$$

$$OM = \frac{r}{\tan(\theta + \phi) - \tan(\phi + \psi)}$$

$$OP = OM \cdot \sec \psi \quad \text{or} \quad x = OP \sin \angle$$

$$\omega = \frac{r \sin \delta}{\tan(\theta + \phi) - \tan(\phi + \psi)} \cdot \frac{\sin \angle}{\cos \psi}$$



Distance of Clouds (also height & drift)

7^o. March 26/83.

f. 65

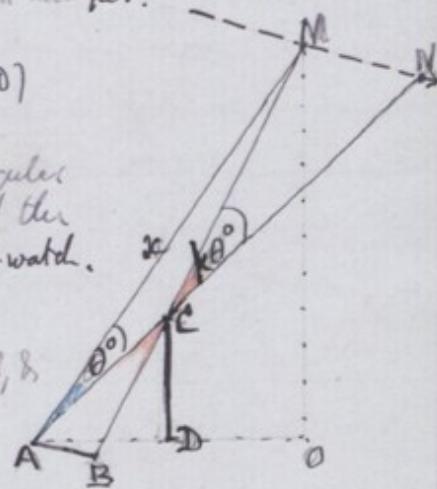
CD a tower (flag staff or chimney) of known height, say 100 or 200 m. in feet.
AB a short measured base parallel to drift of clouds
AD is known. Consequently $\angle ACB$ is known (also CAD)

Then an observer at the base line can measure

(1) angular velocity of cloud as seen from A, either by an angular instrument or stop-watch or by finding the angular breadth of the tower as seen from A & using that as his scale, & by a stop-watch.

(2) angular velocity of cloud as it would be seen from C.

He observes a point in the cloud in the line BC produced, call it M. Then, stepping to A notes how long ~~it~~ ^{the same point} takes to arrive at N in the line AC produced.



Consequently he knows the ratio of the two small angles

$\frac{MCN}{MAN}$, & as he also knows the distance AC, the distance of the cloud, MA or NA , can be found. Probably this method would give approximate fair results if MA was not more than 10 AC. Hill tops would serve well for C & give a large value to AC.

Example:-

In any given brief time, the cloud will travel through a small space, which will subtend θ° to an observer at A, and $k\theta^{\circ}$ ($= K\theta^{\circ}$) to an observer at C. Let distance of cloud (AM or AN) be called x .

$$L. \theta^{\circ} = (x - AC) k\theta^{\circ}$$

$$x = AC \cdot \frac{k\theta^{\circ}}{K-1} \quad (\text{height of cloud} = x \cdot \sin CAD. \times \text{rate of motion} \left(\frac{MN}{t} = \frac{x \sin \theta}{t} \right))$$

Note. This method seems excellently adapted to determine drift, size & rate of sailing of ships, when their course is parallel to the shore (or in a direction that may be approximated (quessed)), if the observer is a few hundred yards inland & slightly from the marks on the cliff or shore edge.

$$ACM = 100$$

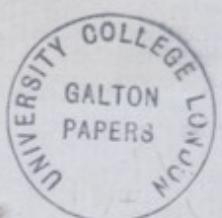
Let cloud as seen from C travel through their 100' face in 8 secs

Let cloud as seen from A travel through 90' face in 7 secs

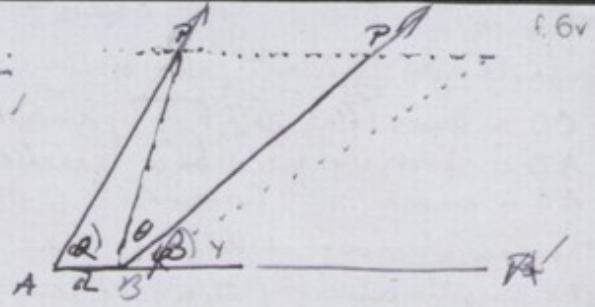
$$\therefore \theta : K\theta = 9 : 10$$

$$K = * \cdot \frac{10}{9} \quad \frac{K}{K-1} = \frac{\frac{10}{9}}{\frac{1}{9}} = 10$$

$$x = 10 AC$$



In case of clouds
 A' will be a spot visited & distant in
 observer walks on a level plain
 over which the clouds are moving parallel (AA')
 from A towards A' which is the
 direction in which the clouds are
 drifting. (1) (the take) At A' with
 the as a sextant the altitude α of a cloud (B)
 a point in a cloud above AA' that is B.



f. 6v

(2) he walks on ^{forward} over a measured distance
 counting his paces until he arrives ^{some convenient distance} at some point B
 where he again takes the altitude ^{again} of the same spot P
 that is B. & note the elapsed time ^{time since obs: (1)} t.
 (3) he observes angular velocity of cloud say of same
 progress of same spot later altitude of same spot after ^{the same}
~~progress~~ ^{call it} ~~time~~ ^t whence he can calculate what
 the altitude would have been ^{at the time of taking} t seconds previous to
 observation. ^{that is at the moment of taking} He thus puts himself in the position
 of having made (1a(2)) simultaneously & call this visited
 altitude γ . Then the triangle of which the base A'B is
 & the angles at either end of it are known & of which the
 sides are the distance of the cloud from A & B at alt. α & γ respeclv. whence it follows that is $AB \sin \theta = BP \cos \gamma$

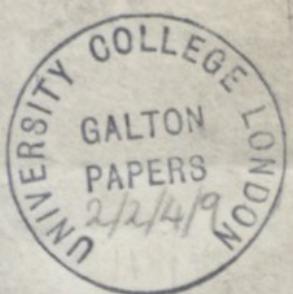
If clouds are not moving uniformly & their motion is
 fast ^{if they changed their shade fast} but the ^{in case} correctness of it would be suspicion of error would
 not occur. ^{the result of the wrong} If the clouds they might be missed.
 Again if the drift of the cloud was very rapid there would
 be sufficiently risk of error owing to the difference of being

64

Clouds

Cpt Nolle Jr

1884



F.2

Shell bring
for smoke cloud
Not to observe
F. Ralton April 12/04

A

C

f = focal length of lens in feet

h = height vertically of cloud

$\angle CA = 67^\circ$ ($\sin 67^\circ = 0.92$)

CA a portion of the fault of the cloud
surface parallel to CA

To find CA in terms of CA

$$CA : CA :: f \cdot \sin 67^\circ : h$$

$$CA = \frac{CA \cdot f}{h} \cdot \sin 67^\circ \text{ (in feet)}$$

$$(A) = \frac{12 \times CA \cdot f}{h} \cdot \sin 67^\circ \text{ (in inches)}$$

With base 4.8 inches $h = 10000$ feet

Take CA = 1000 feet

Then (A) becomes $1.2 \times f \times 0.92$

$$= 1.104 \times f \text{ (in inches)}$$

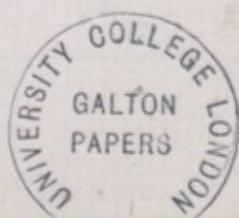
Suppose $f = 9$ feet

$$= 9.936 \text{ or say } \underline{\underline{10}} \text{ inches}$$

which will be a convenient size.

~~No better size can be found~~

X
 $\angle 67^\circ$

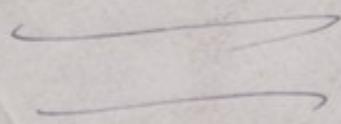


Clouds

Distance to 1

April 1883

Cloud



$$20^{\circ} \text{ } 60 \begin{array}{r} 3.837303 \\ 9.972981 \\ \hline 3.810289 \\ 9.534052 \\ \hline 3.344341 - 220 \end{array} 1461$$

P4

$$h5^{\circ} \begin{array}{r} 3.837303 \\ 9.625945 \\ \hline 3.463251 - 2906 \\ 9.957276 \\ \hline 3.420527 - 2747 \\ \hline 21132 \end{array}$$

$$55^{\circ} \begin{array}{r} 3.837303 \\ 9.758591 \\ \hline 3.595894 \\ 9.913365 \\ \hline 3.509259 \end{array} 3944 \quad 3234$$

$$70^{\circ} \begin{array}{r} 3.837303 \\ 9.534052 \\ \hline 9.371355 \\ 9.972986 \\ \hline 3.44341 \end{array} 2351 \quad 2860$$

$$15^{\circ} \begin{array}{r} 3.837303 \\ 9.984944 \\ \hline 9.822247 \\ 9.412991 \\ \hline 9.235243 \end{array} 6661 \quad 1719$$

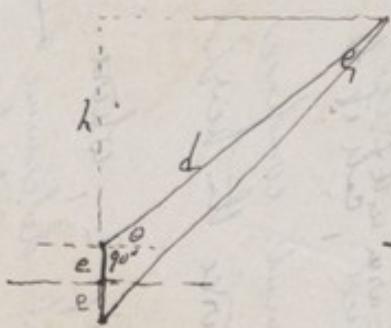
$$75^{\circ} \begin{array}{r} 3.837303 \\ 9.612996 \\ \hline 9.250299 \\ 9.984944 \\ \hline 9.235243 \end{array} 1780$$

$$10^{\circ} \begin{array}{r} 3.837303 \\ 9.993352 \\ \hline 9.830655 \\ 9.239670 \\ \hline 9.070325 \end{array} 1771 \quad 1176$$

$$80^{\circ} \begin{array}{r} 3.837303 \\ 9.239670 \\ \hline 9.076973 \\ 9.993351 \\ \hline 9.070324 \end{array} 1194$$

$$5^{\circ} \begin{array}{r} 3.837303 \\ 9.998344 \\ \hline 9.835647 \\ 8.940296 \\ \hline 8.775943 \end{array} 1869 \quad 871$$

$$85^{\circ} \begin{array}{r} 3.837303 \\ 8.940296 \\ \hline 2.777599 \\ 9.998344 \\ \hline 2.775943 \end{array} 599$$



$$\frac{d}{\sin\{180 - (90 + \theta + \phi)\}} = \frac{2e}{\sin\phi}$$

$$\frac{d}{\cos(\theta + \phi)} = \frac{2e}{\sin\phi}$$

as ϕ is unimportant in comparison with θ and never exceeds say 3°
we may put the above approximatively as

$$\frac{d}{\cos\theta} = \frac{2e}{\sin\phi} \quad d = 2e \frac{\cos\theta}{\sin\phi}$$

which if ϕ is reckoned a minute, has value $= 3440.91$
 $= \frac{2e}{3440.91}$

but as

the angle θ is

and varies directly as e and inversely as $\sin\phi$
or, as ϕ never exceeds some 3° , we may say as the arc ϕ
if $e = 1^{\text{foot}}$ $\propto \phi = 1'$ also $h = d \sin\theta$

$$d = 2 \frac{\cos\theta}{0.00029} \frac{1}{\phi}$$

$$= \frac{\cos\theta}{0.00050} \frac{1}{\phi}$$

$$\text{for } \theta = 25^\circ \quad \frac{\cos 25^\circ}{0.00050} = 0.30103$$

$$h = 2634 \quad \frac{\sin 25^\circ}{0.00050} = \frac{3.53627}{3.83730}$$

45 0 50	3.837303	3.837303
45 1 18 17	9.845038	9.845038
45 1 55 98 0	3.642341	3.642341
45 1 43 88	9.886311	9.886311
50 0	3.528703	3.528703

$$\begin{array}{r} \log \cos 50^\circ \\ \hline 3.837303 \\ 9.808067 \\ \hline 3.645370 \end{array} \quad 41.20$$

$$\begin{array}{r} \log \sin 50^\circ \\ \hline 9.886254 \\ \hline 3.529624 \end{array} \quad 3385$$

$$\begin{array}{r} \log \tan 50^\circ \\ \hline 3.837303 \\ 9.90970 / 5000 \\ \hline 3.536273 \end{array} \quad 3437$$

$$\begin{array}{r} \log \sin 50^\circ \\ \hline 9.937531 \\ 9.473804 \end{array} \quad 2977$$

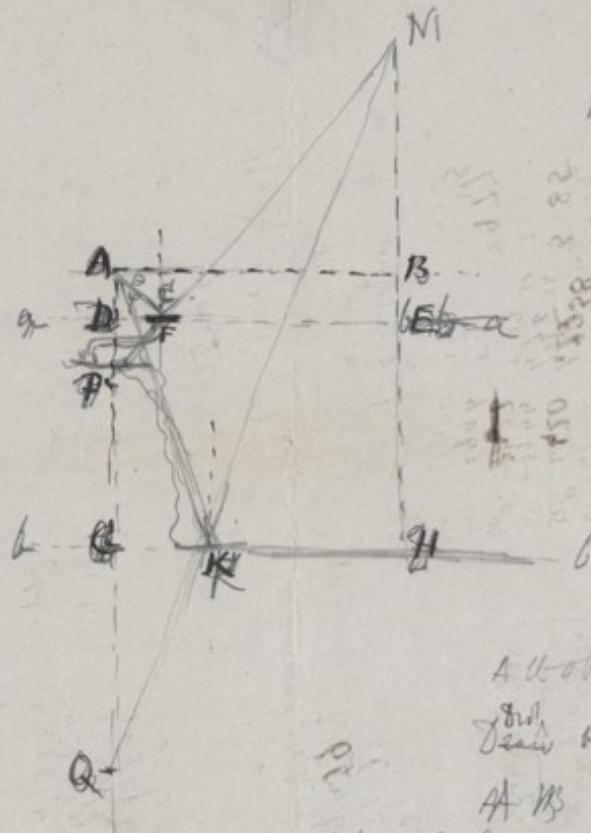
$$d = 2e \frac{\cos\theta}{\sin\phi}$$

$$\frac{h}{l} = \frac{0.30103}{3.53627} = \frac{0.30103}{3.83730}$$

$$= \frac{e}{\phi} \times \frac{\cos\theta}{0.00050} \cdot 6874$$

$$d = \frac{e \times \cos\theta \times 6874}{\phi}$$

$$h = \frac{e}{\phi} \times \frac{\sin\theta \cdot \cos\theta \times 6874}{1720}$$



The 2nd Δ^1 AOC.

A observer M observes
the point till close
vertical ~~from~~ A + M

AM is the head of the observer

by looking at the sky F that is supported that the eye can look at the water below

$$\text{Take } AF = 2AD \Rightarrow AD = 2AC$$

on PM cutting DC in F

& QM cutting BH in K

then the reflecting of the sun cap in sea in shade
is the reflection of the sun cap in sea in shade
below it a lower level

$\angle AFE$ is the angle of elevation of the sun cap in sea in shade
The angle $\angle AFE$ ($= \angle AFD$ or $\angle AFE$) is nearly measured & help
for arm with which move on a vertical
plane graduated scale

The angle $\angle FAE$ is observed by a sextant
Then by the two right angled Δ^1 triangles have $\angle AFD$
and then $\angle GAK = \angle KMH$.

Consequently $\angle GAF - \angle GAK$ ($= \angle KAF$) = $\angle EMF - \angle AMR$ ($= \angle PMT$)
that is to say the $\angle FMK$ is given by the sextant &
& the $\angle BAF$ has also been measured, call it θ

Now PA is supposed to be known, which as AD is small compared
with BC may be considered = 200 since the height
of the cap above the root, call it 200

The problem ^{uniquely} becomes ^{simplified} in Fig 2, where
L and M are given & it is required to determine
d, the distance of the cloud root and its vertical height above it.
On the cap



$$\begin{aligned} \text{only } \sin 1' &= 6.4637261 \\ \text{by } \frac{1}{\sin 1'} &= 3.5362739 \\ \text{by } 2 &= 0.301030 \\ \text{by Constant} &= 3.837303 \\ &\quad \text{687.4} \end{aligned}$$

	sin	cos
25°	9.625948	9.4957276
30	9.698970	9.937531
35	9.758591	9.913365
40	9.808067	9.884254
45	9.849485	9.849485

25°	3.837303
	9.957276
	3.794599
	9.625948
	9.420527

30°	3.837303
	9.937531
	3.774834
	9.698970
	9.473804

35°	3.837303
	9.913365
	3.750668
	9.758591
	3.509259

40.	3.837303
	9.884254
	3.721557
	9.808067
	3.529624

10	15	20	25	30	35	40	45	50	55	60	65	70	75	80
		6.4662	9.230	2.774	2.970	3.65	4.05	4.420	4.763	5.07	5.31	5.63	5.97	6.33
		8.231	4.7	4.45	4.3	4.00	3.88	3.88	3.88	3.88	3.88	3.88	3.88	3.88

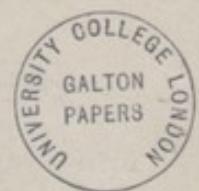
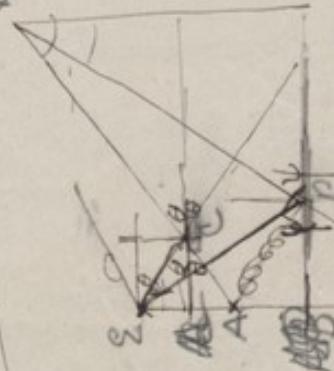
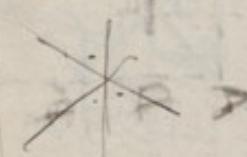
I had 10 feet

at 30°

at 25° alt

$$L = 2634 \times \frac{10}{30} \frac{6}{10}$$

$$= 188.04$$



At the level of the water in the tank
that of the water in the
the observer.
The vertical line from A to B

Distance of Clouds - (implied also, their height & rate of drift)

CD a tall chimney, Kew Pagoda, ^{steeple, or} flag staff on cliff or hill top, of a known height above observer, say at least 150 feet.

MN the line of drift of clouds

AB a short measured base, $11\frac{1}{2}$ ft MN

AD is supposed known. Consequently both $\angle CAD$ & $\angle ACB$.
The distance AC is supposed to be small compared with AM.

Then an observer at the base line can measure:-

(1) angular velocity of cloud as seen from A, using either an angular instrument or utilising the angular breadth of the tower as seen from A, and a stop-watch.

(2) angular velocity of cloud as it would be seen from C, by observing from B a point in the cloud (call it M) which lies in the line BC produced, and then stepping to A and noting how long that same point takes to travel to N in the line AC produced.

Hence he finds the ratio of the two small angles MAN , MCN , whence, as he knows AC, the value of AM (which is the distance of the cloud) can be calculated as follows:-

~~Let distance of cloud be x~~

In a given brief time (t seconds) the cloud will have travelled through a small definite distance $\frac{MN}{k}$, which will subtend θ° to an observer at A, and $\phi^\circ = k\theta^\circ$ to an observer at C. Let distance of cloud be x from A to B
that is to say, in the triangles AMC or NA , MB or NB which may be all taken as equal.

$$x \cdot \theta^\circ = (x - AC) \cdot k\theta^\circ$$

$$x = AC \cdot \frac{k}{k-1}$$

$$\text{Height of cloud} = x \cdot \sin CAD, \text{ and its rate of motion} = \frac{MN}{t} = \frac{x \cdot \sin \theta^\circ}{t} = \frac{x \cdot \theta^\circ}{t}$$

75. March 26/83



This problem applies to determining distance and rate of ships' sailing when their course is parallel to the shore (or inclined to it by a known angle), if the observer is a few hundred yards inland and sights them by waves placed near the shore.

*Example. Let $ACB = 100^\circ$. Let cloud as seen from C travel through these $100'$ of arc in 8 sec, and let cloud as seen from A travel in 8 sec through $90'$ of arc.

Then $\theta : k\theta :: 9 : 10$

$$k = \frac{10}{9}, \quad \frac{k}{k-1} = \frac{\frac{10}{9}}{\frac{1}{9}} = 10.$$

$$x = 10 AC.$$