# Copy of a printed table referenced as "Heryberg table 35" [possibly variation on Herzberg]

## **Contributors**

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displacements of the Y nuclei are in the direction XY, is the condition of constant (zero) moment of momentum fulfilled. The magnitude  $s_Y$  of the displacements of the Y nuclei is obtained from the condition that the component of the total linear momentum perpendicular to the plane  $\sigma_v(yz)$  is zero; that is, since the velocities are proportional to the amplitudes of the displacements,  $2m_Ys_Y\sin\alpha=m_Xs_X$ , where  $\alpha$  is half the angle at the top of the triangle formed by the molecule,  $s_X$  is the displacement of the X nucleus and  $m_X$  and  $m_Y$  are the masses of X and Y. Thus the form

Table 35. Number of vibrations of each species for the point groups having non-degenerate vibrations only.

Point group, total number of atoms	Species of vibra- tion	Ex- plained in Table	Number of vibrations <sup>30</sup>
$C_2$ $(N = 2m + m_0)$	A B	12	$3m + m_0 - 2$ $3m + 2m_0 - 4$
$C_s = C_{1h}$ $(N = 2m + m_0)$	A' A''	12	$3m + 2m_0 - 3$ $3m + m_0 - 3$
$C_i = S_2$ $(N = 2m + m_0)$	$A_g$ $A_u$	12	3m - 3 $3m + 3m_0 - 3$
$C_{2v}$ (N = 4m + 2m <sub>xz</sub> + 2m <sub>yz</sub> + m <sub>0</sub> )	$A_1$ $A_2$ $B_1$ $B_2$	13	$\begin{array}{l} 3m + 2m_{xx} + 2m_{yz} + m_0 - 1 \\ 3m + m_{xx} + m_{yz} - 1 \\ 3m + 2m_{xx} + m_{yz} + m_0 - 2 \\ 3m + m_{xx} + 2m_{yz} + m_0 - 2 \end{array}$
$ \begin{array}{c} C_{2h} & \cdot \\ (N = \! 4m + \! 2m_h + \! 2m_2 + \! m_0) \end{array} $	$A_g$ $A_u$ $B_g$ $B_u$	13	$3m + 2m_h + m_2 - 1$ $3m + m_h + m_2 + m_0 - 1$ $3m + m_h + 2m_2 - 2$ $3m + 2m_h + 2m_2 + 2m_0 - 2$
$D_2 = V$ $(N = 4m + 2m_{2x} + 2m_{2y} + 2m_{2z} + m_0)$	$A$ $B_1$ $B_2$ $B_3$	13	$3m + m_{2x} + m_{2y} + m_{2z}$ $3m + 2m_{2x} + 2m_{2y} + m_{2x} + m_0 - 2$ $3m + 2m_{2x} + m_{2y} + 2m_{2x} + m_0 - 2$ $3m + m_{2x} + 2m_{2y} + 2m_{2x} + m_0 - 2$
$D_{2h} = V_h$ $N = 8m + 4m_{xy} + 4m_{xz} + 4m_{yz} + 2m_{2x} + 2m_{2y} + 2m_{2z} + m_0$	$A_g$ $A_u$ $B_{1g}$ $B_{1u}$ $B_{2g}$ $B_{2u}$ $B_{3g}$ $B_{2u}$		$\begin{array}{l} 3m + 2m_{xy} + 2m_{xz} + 2m_{yz} + m_{2x} + m_{2y} + m_{2z} \\ 3m + m_{xy} + m_{xz} + m_{yz} \\ 3m + 2m_{xy} + m_{xz} + m_{yz} + m_{2x} + m_{2y} - 1 \\ 3m + m_{xy} + 2m_{xz} + 2m_{yz} + m_{2x} + m_{2y} + m_{2z} + m_{0} - 1 \\ 3m + m_{xy} + 2m_{xz} + m_{yz} + m_{2x} + m_{2z} - 1 \\ 3m + 2m_{xy} + m_{xz} + 2m_{yz} + m_{2x} + m_{2y} + m_{2z} + m_{0} - 1 \\ 3m + m_{xy} + m_{xz} + 2m_{yz} + m_{2y} + m_{2z} - 1 \\ 3m + 2m_{xy} + 2m_{xz} + m_{yz} + m_{2y} + m_{2z} + m_{0} - 1 \end{array}$

 $^{30}$  m is always the number of sets of equivalent nuclei not on any element of symmetry;  $m_0$  is the number of nuclei lying on all symmetry elements present;  $m_{xy}$ ,  $m_{xz}$ ,  $m_{yz}$  are the numbers of sets of nuclei lying on the xy, xz, yz plane respectively but not on any axes going through these planes;  $m_2$  is the number of sets of nuclei on a two-fold axis but not at the point of intersection with another element of symmetry;  $m_{2x}$ ,  $m_{2y}$ ,  $m_{2z}$  are the numbers of sets of nuclei lying on the x, y, or z axis if they are two-fold axes, but not on all of them;  $m_h$  is the number of sets of nuclei on a plane  $\sigma_h$  but not on the axis perpendicular to this plane.